Q.P. Code: 20HS0833										<b>R2(</b>			
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B.Tech II Year I Semester Regular & Supplementary Examinations March-2023 NUMERICAL METHODS, PROBABILITY & STATISTICS (Mechanical Engineering)													
	Time: 3 hours		Max. Marks: 60										
			(Answe	er all Five U	Units 5 x 1 UNIT-I	12 = 6	50 Ma	rks)					
1	Find real root o	f the equation	$n \ 3x = e^x \ b$	by Bisection	method.					<b>CO</b> 1	L2	12M	
		• • • • • •	C	Z-TI	OR	.1				601			
2	From the follow $x=0.12$ and $x=0$		lues of x an	ad $y=tan x$ ,	Interpolat	te the	values	s of y v	vhen	CO1	L2	12M	
	x	0.10	0.15	0.20	0.25	0	0.30	796.9					
	у	0.1003	0.1511	0.2027	0.2553	0.2	3093						
	005 1.3 13	UNIT-II International COS											
3	Solve $y^1 = x + y$ , given y (1)=0 find y(1.1) and y(1.2) by Taylor's series method.										L2	12M	
					OR					~~~			
4	Evaluate $\int_{0}^{1} \frac{1}{1+x}$	-dx by								CO2	L2	12M	
		idal rule and		5									
	(ii) Using S	Simpson's $\frac{3}{8}$ r	ule and con			actua	l valu	e.					
5	a State and pro	ve Addition	theorem of	and the second se	NIT-III					CO3	L1	6M	
-	<ul><li>a State and prove Addition theorem of probability</li><li>b In a certain town 40% have brown hair, 25% have brown eyes and 15% have</li></ul>									CO3	L2	6M	
	both brown hair and brown eyes. A person is selected at random from the town.												
<ul><li>i) If he has brown hair, what is the probability that he has brown eyes also?</li><li>ii) If he has brown eyes, determine the probability, that he does not have brown</li></ul>													
	11) If he has the hair?	brown eyes, o	determine	the probabi	lity, that	he doe	es not	have	brown				
	nan :				OR								
6	a State Baye's	theorem.								<b>CO3</b>	L1	2M	
	<b>b</b> Determine (i) $P(\underline{B}_A)$ (ii) $P(\underline{A}_B^C)$ if A and B are events with $P(A) = \frac{1}{3} P(B) = \frac{1}{4}$ ,									<b>CO3</b>	L2	10M	
	$P(AUB) = \frac{1}{2}$												

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## UNIT-IV

7	A random variable X has the following probability function.												<b>CO4</b>	L2	12M	
		Γ	X	0	1	2	3	4	5	6	7					
		SOL.	P(X)	0	K	2K	2K	3K	K <sup>2</sup>	$2K^2$	$7K^{2}+$	K				
8	Determine (i) K (ii) Mean iii) variance (iv) if $P(X \le K) > 1/2$ , find the Minimum value of K OR For the continuous probability function $f(x) = \begin{cases} kx^2e^{-x} & when \ x \ge 0\\ 0 ; elsewhere \end{cases}$												CO4	L3	12M	
Find i) k ii) Mean iii) Variance																
9	<ul> <li>9 a If 2% of light bulbs are defective. Find the probability that</li> <li>(i) At least one is defective (ii) P(1 &lt; x &lt; 8) in a sample of 100.</li> </ul>												C05	L3	6M	
														CO5	L3	<b>6M</b>
	<b>b</b> If for a Poisson variate $2P(X=0)=P(X=2)$ Find the probability that i) $P(X\leq3)$ ii) $P(2\leq X\leq5)$ iii) $P(X\geq3)$ . <b>OR</b>															
10														CO5	L3	12M
	1 5	X	10	15	12	2 17	13	3 16	5 2.	4 14	22	20				
		Y	30	42	4	5 46	33	3 34	4	0 35	39	38				
*** END ***																

\*\*\* END \*\*\*